M TECH (SEM I) THEORY EXAMINATION 2018-19 APPLIED OPERATION RESEARCH

Time: 3 Hours

Note: Attempt all Questions. If require any missing data; then choose suitably.

- Q1. Answer any two parts:
 - a) Discuss the significance and scope of OR in modern management.
 - b) Explain the meaning of linear programming problem stating its uses and give its limitations.
 - c) Solve the following LPP by simplex method:

Maximize $Z = 3x_1 - x_2$ Subject to $2x_1 + x_2 \ge 2$; $x_1 + 3x_2 \le 3$; $x_2 \le 4$.

- Q2. Answer any two parts:
 - a) What is parametric programming? Write the algorithm to solve the LPP by parametric programming.
 - b) State and prove Bayes Theorem and solve the following problem A and B throw an alternately with a pair of dice.
 - c) Explain the Primal dual relationships. How can dual problem be useful in management decision making? And find the dual of the following Primal:

$$\begin{array}{l} \text{Max } z = 3x_1 - 2x_2 \\ \text{Subject to: } x_1 + x_2 \leq 5; \\ -x_2 \leq -1; \\ 0 \leq x_1 \leq 4 \ 0 \leq x_2 \leq 6; \\ \text{and } x_1, x_2 \geq 0. \end{array}$$

Q3. Answer any two pro-

a) What is degenerably in transportation problem? How is it resolved?

- b) Define the following terms with examples.
 - (i) Pay off
 - (ii) (ii) Optimal strategy
 - (iii) (iii) Value of game
 - (iv) (iv) Saddle point
 - (v) (v) Rule of Dominance.
- c) Show that the assignment model is a special case of the transportation model.

Q4. Answer any two parts:

- a) Four counters are being run on the frontier of a company to check the passport and necessary papers of the tourists. The tourists chose counter at random. If the arrival at the frontier is poissons at the rate λ and service time is exponential with parameter $\lambda/2$, what is the steady state average at each counter?
- b) Explain M/M/1 (∞ /FCFS) system and solve it under steady state condition.
- c) In a railway marshalling yard, goods trains arrive at a rate of 30 trains per day. Assuming that the inter-arrival time follows an exponential distribution and the service time distribution is also exponential with an average 36 minutes. Calculate the following:
 - I. Average number of trains in the system.
 - II. The Probability that the queue exceeds 10.

Download all NOTES and PAPERS at StudentSuvidha.com

10 X 2 =20

 $10 \ge 2 = 20$

10 X 2 =20

Total Marks: 100

10 X 2 =20

- Q5. Answer any two parts:
 - a) Explain ABC analysis with examples.

- b) An investment consultant predicts that the odds against the price of a certain stock will go up during the next week are 2:1 and the odd in favour of the price remaining the same are 1:3. What is the probability that the price of the stock will go down the next week?
- c) Describe the following in brief:
 - (i) Traffic intensity
 - (ii) Service channel
 - (iii) Steady and transient state
 - (iv) Utilization factor

annia transcuidha. Com

2 | Page

Download all NOTES and PAPERS at StudentSuvidha.com